

# Unemployment Insurance and Mandatory Notice

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# Unemployment Insurance

- Lots of empirical work on labor supply effect of social insurance (Krueger and Meyer, 2002)
  - Early literature used cross-sectional variation in replacement rates. Problem: compare high and low wage earners, whose employment prospects may be very different!  
  
Solution: modern methods, DD/ IV in late 80s/early 90s
  - Most recent methods use kinks in unemployment policy and discontinuities depending on age, work-history...
- Evidence suggests unemployment elasticities  $\varepsilon$  in range  $[0.5, 1.5]$ ; high relative to other labor supply estimates.

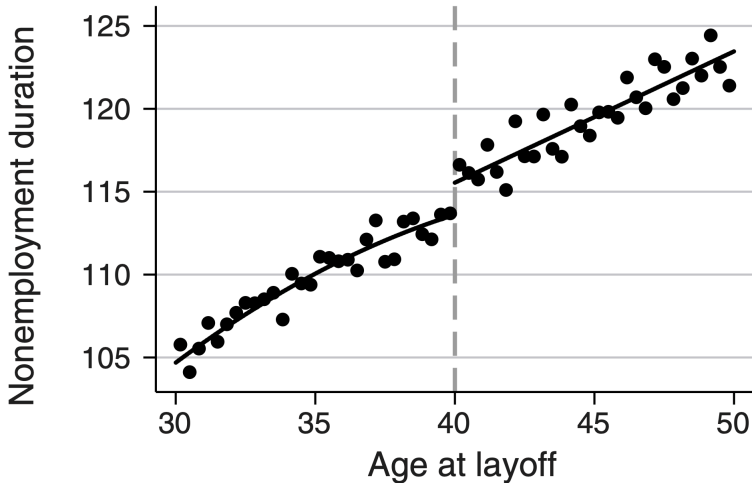
- Nekoei Weber, (AER 2017): **What is the wage impact of longer potential benefit duration in UI?**

Empirical setting: **Austria**.

PBD = 30 weeks for ages  $\leq 40$ ; 39 weeks for ages  $> 40$ .

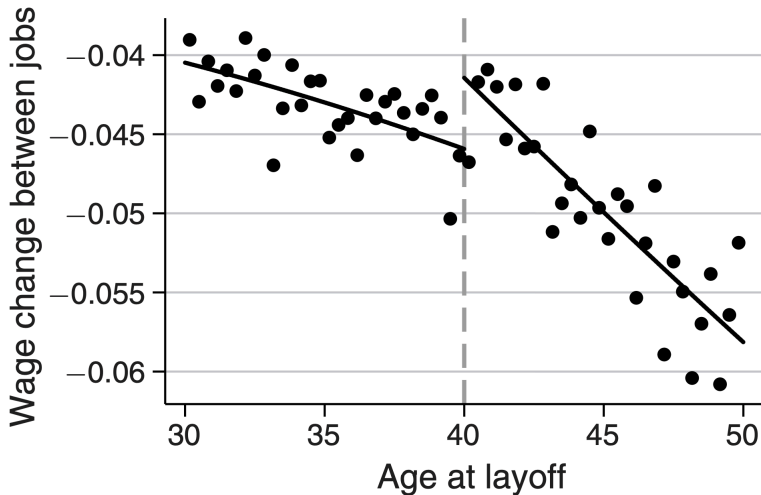
- Age-based discontinuities for UI duration also exploited by Schmieder, von Wachter and Bender (2016) in **Germany**.
- Theoretically, PBD  $\uparrow$ :
  - i. Selective search  $\rightarrow$  wages  $\uparrow$ ;
  - ii. Stay unemployed longer  $\rightarrow$  job opportunities  $\downarrow$ ;
- Empirically, PBD  $\uparrow$  can **increase** or **decrease** wage effect depending on which force dominates.

## Effect of PBD on non-employment



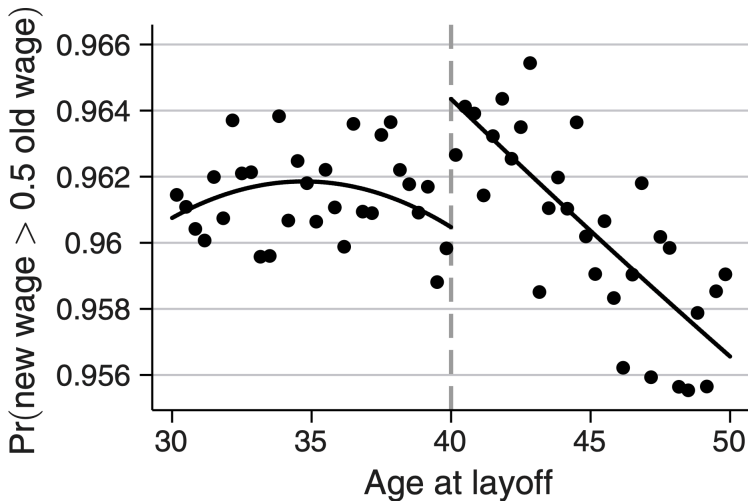
- Source: Nekoei Weber (AER, 2017)

## Effect of PBD on wage



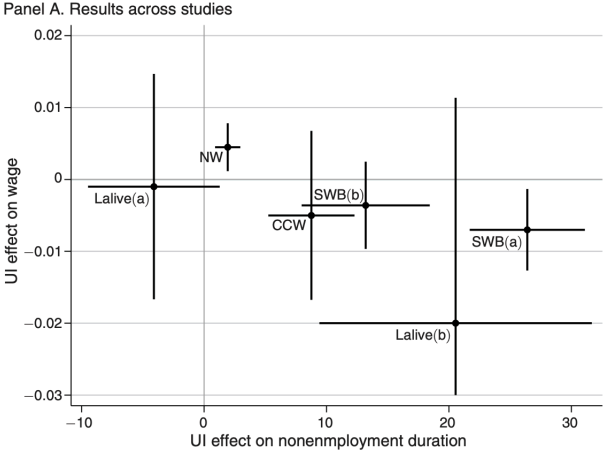
- Source: Nekoei Weber (AER, 2017)

## Effect of PBD on wage



- Source: Nekoei Weber (AER, 2017)

# Meta-analysis



- Source: Nekoei Weber (AER, 2017)

# What About LHS of Baily-Chetty?

- Measuring value of SI is challenging - good is not traded in a well-functioning market.  
⇒ hard to assess the willingness to pay.

- Value depends on agents' means to smooth consumption:

$$c_u = b + \text{savings} c_e = w - \tau - \text{savings}$$

- Private means: Use savings when unemployed; borrow from banks and family.
- Empirically, most have no savings and face borrowing constraints.
  - **Savings:** Engen Gruber '95
  - **Added worker:** Cullen and Gruber '00



## Gruber '97

- Classic paper: Uses surveyed data on consumption from PSID.
- Today, better alternatives:
  - Imputed consumption:** Kolsrud et al. (2015)
  - Bank account data:** Ganong and Noel (2019)

- Gruber ran regression:

$$\left( \frac{c_e - c_u}{c_e} \right)_{i,j,t} = \beta_1 + \beta_2 \left( \frac{b}{w} \right)_{i,j,t} + \beta_3 \delta_j + \beta_4 \tau_t + \varepsilon_i$$

- and obtained  $\hat{\beta}_1 = 0.24$ ;  $\hat{\beta}_2 = -0.28$ .

⇒ Without UI, consumption falls by 24 %.

⇒ A 10 pp increase in the replacement rate → consumption drop ↓ by 2.8 pp.

⇒ Current replacement rate ( $b/w = 0.5$ ) implies c-drop of 10%.

- **Is current level optimal?**

# Calibrating the model

- Baily-Chetty formula:

$$\gamma \frac{\Delta c}{c} \approx \varepsilon$$
$$\gamma \left( \beta_1 + \beta_2 \frac{b^*}{w} \right) = \varepsilon$$

- Rearrange and solve for optimal replacement rate (using midpoint of elasticities,  $\varepsilon = 0.5$ ).

$$\begin{aligned} \frac{b^*}{w} &= \frac{\varepsilon_{D,b}}{\beta_2} \frac{1}{\gamma} - \frac{\beta_1}{\beta_2} \\ &= \frac{0.5}{-0.28} \frac{1}{\gamma} - \frac{0.24}{-0.28} \end{aligned}$$

- Note that the elasticity may itself depend on  $b^*$ .

# Summary

- Results: Optimal replacement rate  $\frac{b^*}{w}$  varies tremendously with  $\gamma$ :

$\gamma$	1 (linear utility)	2	3	4	5	10
$\frac{b^*}{w}$	0	0	0.20	0.41	0.50	0.68

- Lesson from Gruber:
  - i. Moral hazard responses high relative to consumption smoothing gains.
  - ii. Surprising and very much against current practice.
- Challenged in later work:

Kolsrud et al. '15'; Ganong and Noel '17: Unemployed are "hand-to-mouth"

# Alternative Policies to Help Laid Off Workers

- Mandatory Notice (Cederl f, Fredriksson, Nekoei and Seim, '23)
- o **Institutional Background:**
  - o Swedish labor law  $\rightarrow$  MN  $\in$  {1, 2, 3, 4, 5, 6} months, based on tenure.
  - o **Collective Bargaining Agreements** extend them.
    - o Private-sector white-collar workers above age 55  $\rightarrow$  6 months extension
- o **Empirical Strategy:**
  - o **Regression Discontinuity Design** at age 55
- o **Identification Assumption:**
  - o Age at displacement **random**.
  - o Checks?
  - o McCrary-test; Balance-tests.

# MN Effect on Notice Period

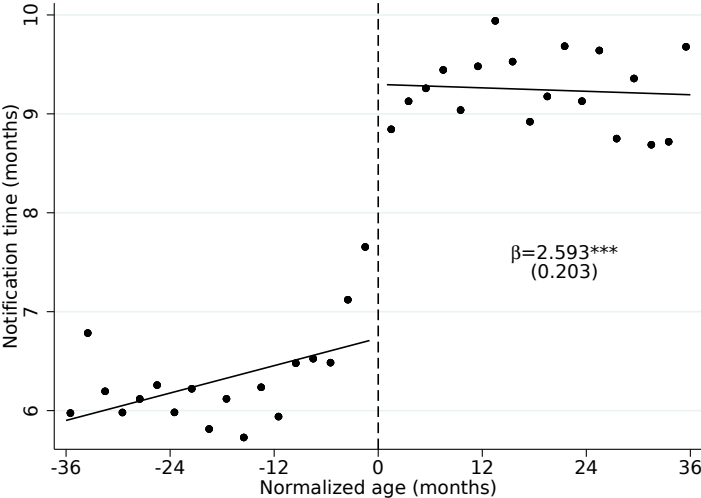
- **Data:**

- Measurement of notification periods:
  - **De Jure** notice: Legal notice period (varies by tenure and age)
  - **De Facto** notice: Actual notice period (**notification** and **planned termination** dates over 2005-2016)
  - Duration after notice: Time from notice until spell termination.
- Typical administrative records:
  - Unemployment spell data;
  - Employer-employee match data;
  - Labor Force Survey – search measure;
  - Wage data **Firm reported, stratified sample, 50% of private sector**

- **Estimation Sample:**

- 10k individuals around age 55.
- 44% female; Mean tenure = 8 yrs; 38% college-educated; 30% manufacturing.

# MN Effect on Notice Period

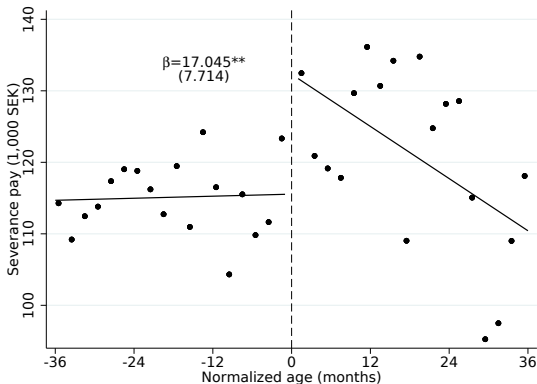


○ Running variable: **Age at notification** (in months)

# MN Effect on Severance Pay

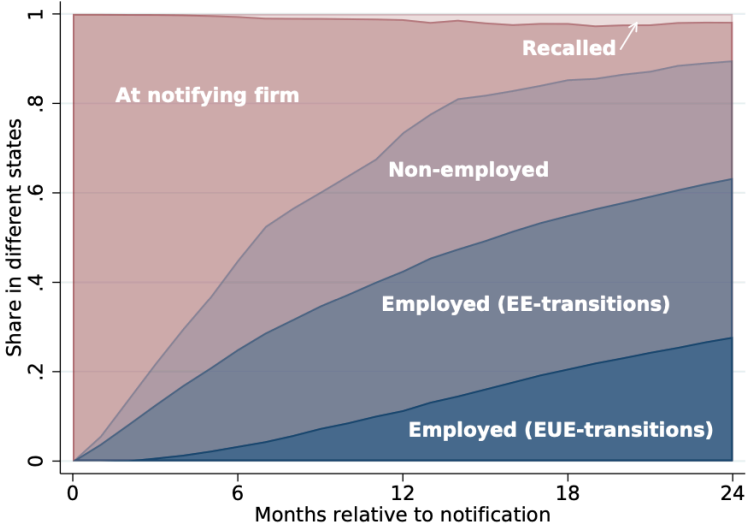
- **Measurement:**

- Estimate **monthly wage** from previous years.
- Subtract predicted earnings from actual earnings.
- Measurement includes other compensations → Differenced out at discontinuity.



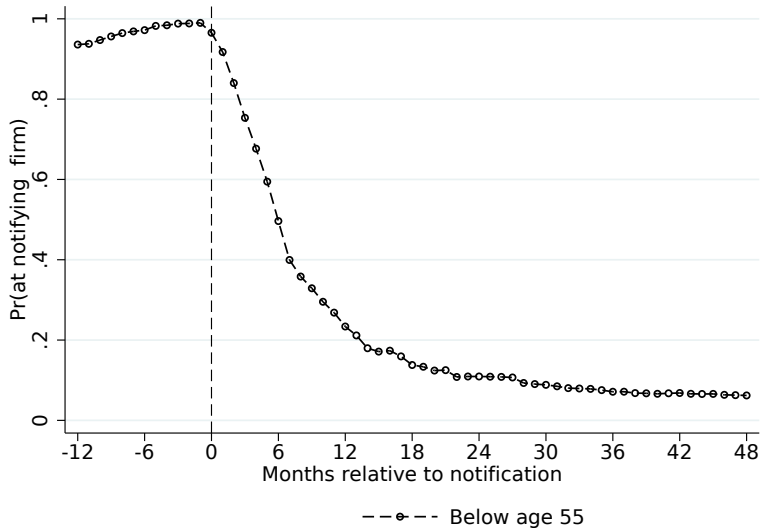
→ Monetary side payments used to undo Mandatory Notice Lazear (1990)

# MN Effect on Prob. Working at **Notifying** Firm

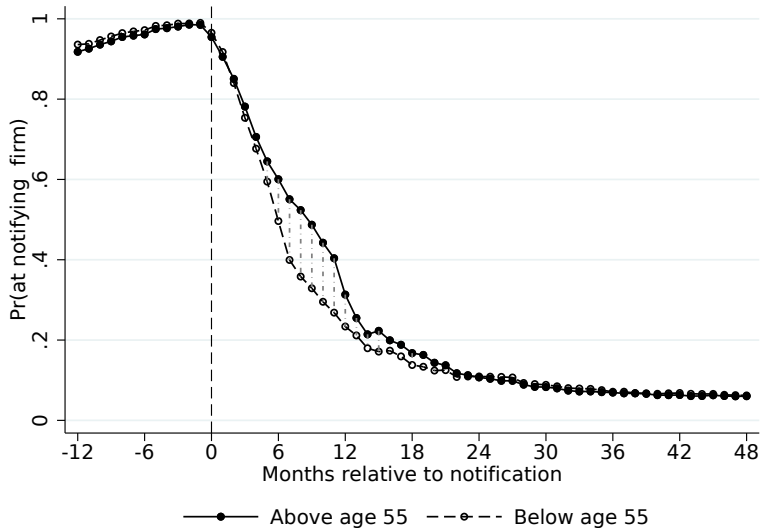




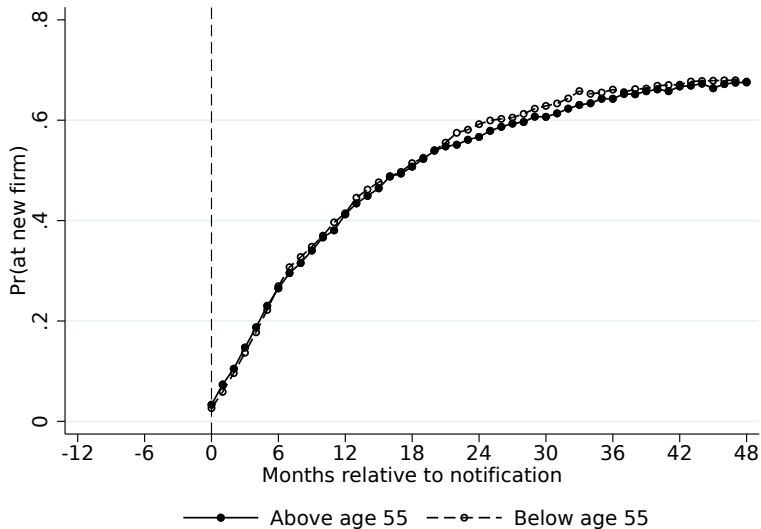
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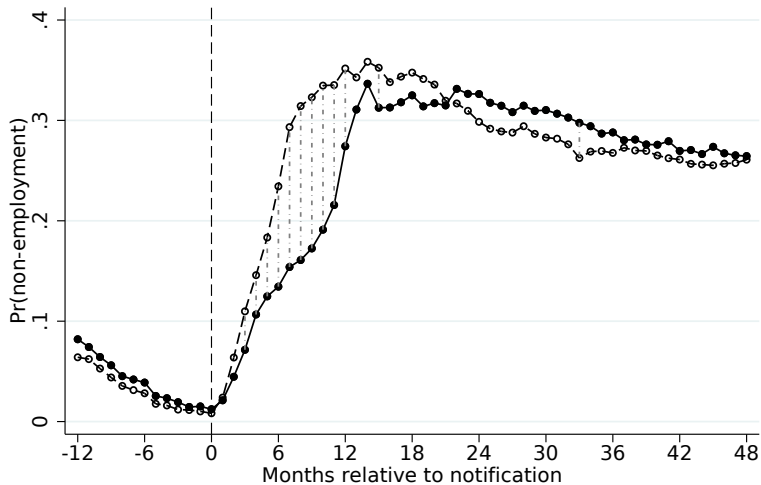
# MN Effect on Prob. Working at **Notifying** Firm



# MN Effect on Prob. Working at **New** Firm



# MN Effect on Prob. of **Non-employment** (residual)



# MN Effect on labor market states

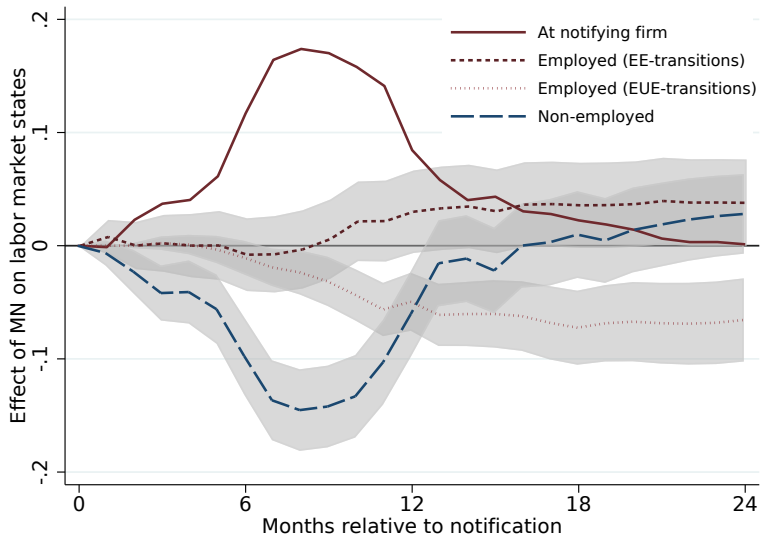


Table 2: Effect of MN on Employment Status Within Two Years

	Cumulated duration (months) within two years after notification				
	Notifying firm (1)	New firm (2)	Non-employment (3)	Unemployment (4)	Out of the LF (5)
Above Age-55	1.322*** (0.276)	-0.145 (0.333)	-1.177*** (0.288)	-0.472* (0.246)	-0.705*** (0.214)
Control mean	7.859*** (0.217)	9.372*** (0.253)	6.769*** (0.212)	4.668*** (0.178)	2.100*** (0.147)
Number of clusters	4,158	4,158	4,158	4,158	4,158
Number of observations	10,275	10,275	10,275	10,275	10,275

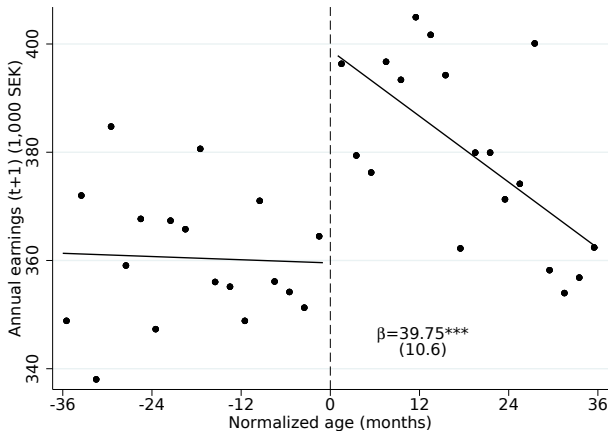
- MN has **no effect** on search duration (in contrast to UI).

# MN Effect on **Wages**

	Re-employment wages				Pr(EE)
	ln(w)	ln(w)	$\Delta \ln(w)$	$\Delta \ln(w)$ EE = 1, t ≤ 6	
	(1)	(2)	(3)	(4)	(5)
Above Age-55	0.029** (0.014)	0.034** (0.016)	0.032** (0.016)	0.045* (0.027)	0.075** (0.037)
Control mean	10.201*** (0.010)	10.200*** (0.011)	-0.093*** (0.011)	-0.077*** (0.019)	0.566*** (0.027)
Number of clusters	2,229	1,713	1,353	561	1,713
Number of observations	3,932	2,752	2,276	749	2,752

- Wages in the first new job w/n 2 yrs ↑

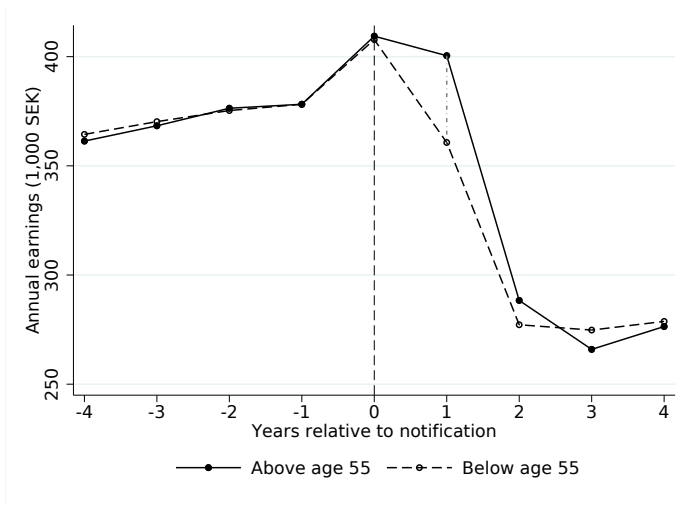
# MN Effect on **Earnings** in Calendar Year After



- MN effect on earnings in year 1: **39.75 kSEK**  $\approx 1.56m$  earnings



# No Earnings Effects Beyond the First Year



- RD-estimates for each year around notification (dashed lines: stat sign. at 95%)
- increase in  $t = 0$  for both T & C due to severance pay

# Decomposition of the Earnings Effect

- Decompose the effect of longer MN over fixed period ( $T = 2\text{yrs}$ ) as

$$\underbrace{\Delta y}_{\text{Earnings effect of MN}} = \underbrace{\Delta(w_0 l_0)}_{\text{Old job}} + \underbrace{\Delta(w_1 l_1)}_{\text{New job}} + \underbrace{\Delta SP}_{\text{Severance pay}},$$

where  $w_0$  ( $w_1$ ) wage of old (new) job &  $l_0$  ( $l_1$ ) its duration within 2 years.

- Using  $\Delta w_0 = 0$  and  $T = l_0 + NE + l_1$ , where  $NE$  denotes non-employment duration

$$\underbrace{\frac{\Delta y}{w_0}}_{\text{Earnings effect of MN}} = - \underbrace{\frac{\Delta NE}{w_0}}_{\text{non-emp duration}} - \underbrace{\frac{w_0 - w_1}{w_0}}_{\text{disp. wage loss}} \underbrace{\frac{\Delta l_1}{w_0}}_{\text{new job dur.}} +$$

$$\underbrace{\frac{\Delta w_1}{w_0}}_{\text{wage-effect}} l_1 + \underbrace{\frac{\Delta SP}{w_0}}_{\text{Severance-pay}}$$

$$\underbrace{1.56\text{months}}_{\text{Earnings effect of MN}} = \underbrace{50\%}_{\text{non-emp duration } \downarrow} + \underbrace{4\%}_{\text{disp. effect } \uparrow} + \underbrace{11\%}_{\text{wage } \uparrow} + \underbrace{35\%}_{\text{Severance-pay } \uparrow}$$

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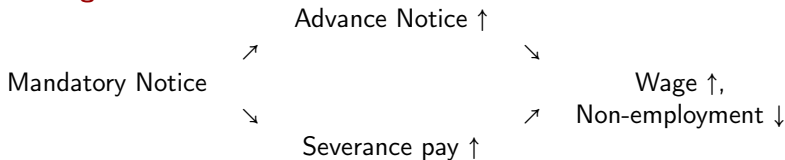
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# Separating the Effects of **Advance Notice** & **Severance Pay**

- **Challenge:**



- Not possible to isolate notice channel.
- Additional instrument: Age 55 discontinuity **among colleagues**.
- Intuition: Spill-over of long MN to non-eligible colleagues

# Separating AN and SP effects

- Wage effect relative to UI; Card et. al 2007 Schmieder, et al 2013 Nekoei & Weber 2017
  - Much larger.

Panel (a):	First-stage estimates		Reduced-form (RF) estimates			
	Notification time (months)	Severance (1,000 SEK)	Search intensity	Months until new job	Non-employment (months)	$\Delta \ln(w)$
	(1)	(2)	(3)	(4)	(5)	(6)
Above age-55	2.593*** (0.193)	18.458** (7.307)	-0.222*** (0.066)	0.112 (0.319)	-1.176*** (0.283)	0.035** (0.016)
Share coworkers above 55	0.776 (0.678)	30.428*** (11.197)	-0.064 (0.073)	1.500*** (0.378)	1.813*** (0.560)	-0.002 (0.014)
Panel (b):	2-IV estimates					
Notification time (months)			-0.087** (0.038)	-0.205 (0.241)	-0.621*** (0.161)	0.017** (0.008)
Severance (1,000 SEK)			-0.001 (0.002)	0.035*** (0.013)	0.051*** (0.015)	-0.0001 (0.001)
Joint F-statistic	90	8	21	26	29	5
Number of clusters	4,285	4,212	4,011	4,060	4,285	2,564
Number of observations (RF)	55,987	49,340	35,515	36,689	56,531	12,590

# Empirical Summary: Efficiency Considerations

- Efficiency effects of **Mandatory Notice**:
  - MN  $\uparrow \Rightarrow$  Advance notice  $\uparrow \iff$  MN improves efficiency.
  - **Severance payments** used to avoid production losses of early notice.
    - Policy maker's worry: MN leads inefficient jobs to last.
    - Our evidence **mitigates** this worry.
  - MN  $\uparrow \Rightarrow$  Non-employment  $\downarrow$
  - MN  $\uparrow \Rightarrow$  Re-employment wages  $\uparrow$
  - AN  $\uparrow \Rightarrow$  Non-employment  $\downarrow$ ; Wages  $\uparrow$
  - SP  $\uparrow \Rightarrow$  Non-employment  $\uparrow$ ; Wages  $\rightarrow$

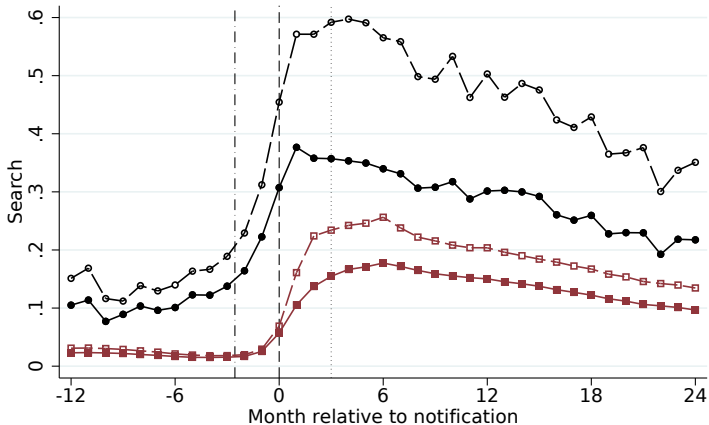
# Reason for the Wage Effect

- Arrival rates of acceptable offers higher for the employed?
  - Is it more efficient to **search while employed**?
- Let the hazard rate for  $j \in \{e, u\}$  be:

$$h^j = \underbrace{\lambda^j}_{\text{arrival rate}} \times \underbrace{A^j}_{\text{Pr(acceptance)}} \times \underbrace{s^j}_{\text{search}}$$

- Estimate relative search efficiency,  $\frac{\partial h^e}{\partial s^e} / \frac{\partial h^u}{\partial s^u}$ , for employed and unemployed.
- Exploit two measures of search:
  - **Public Employment Service (PES)** measure
    - Number of meetings with unemployment officers.
  - **Labor Force Survey (LFS)** measure
    - Have you searched in the past 4 weeks?
    - If yes, how have you searched?
- Three research designs:
  - 2-IV
  - OLS with individual-level FE.
  - Exogenous shifters of search in unemployment and employment.

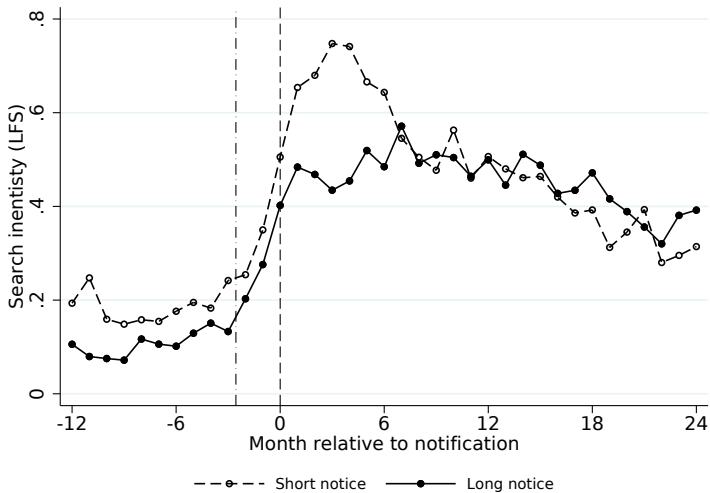
# Search After Notification



● Extensive search (LFS)    ■ Extensive search (PES)  
○ Search intensity (LFS)    □ Search intensity (PES)

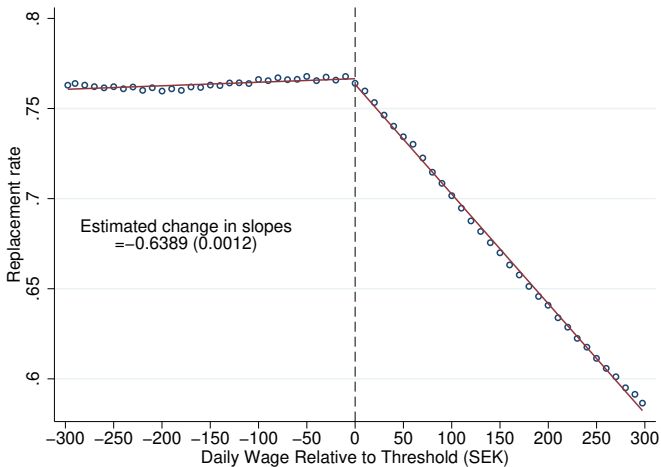


# Search After Notification: By Advance Notice

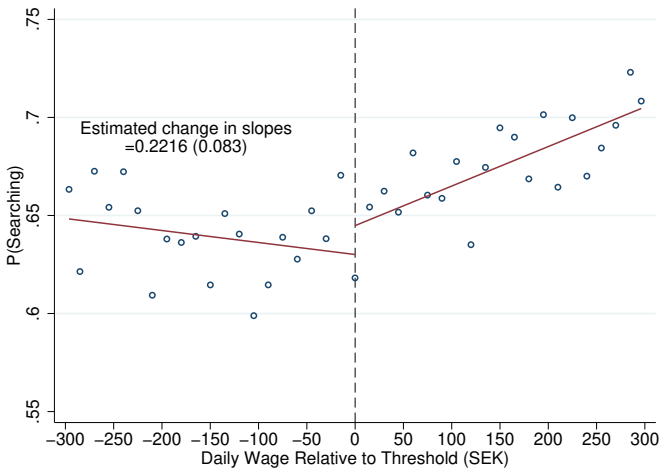


# Exogenous Search: **Unemployed**

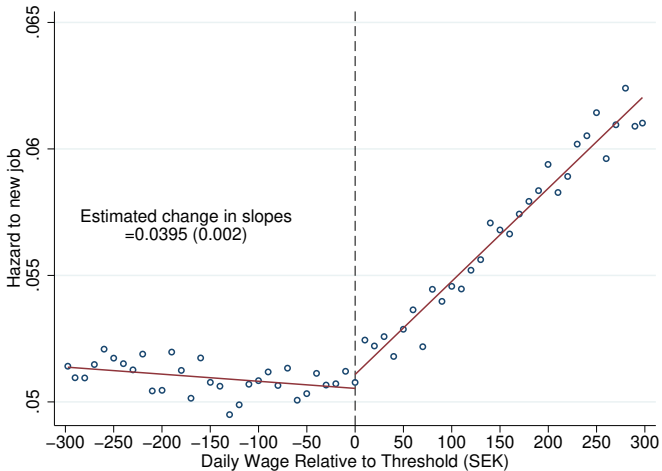
- For unemployed: Leverage kinked benefit schedule:



# Exogenous Search: **Unemployed**

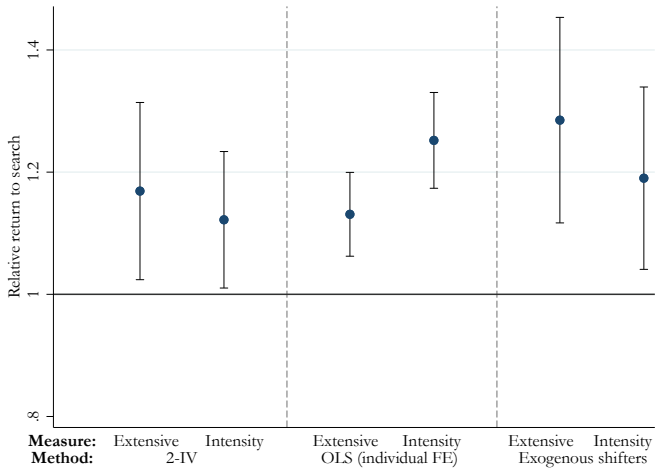


# Exogenous Search: **Unemployed**



- Search increases the job-finding rate **as unemployed** by 11.5ppt. Comparison for employed is 16 ppt.

# Relative Search Efficiency



## Costs of MN: **Lower Productivity**

- Firm revenue:

$$Y_{it} = A_{it} (1 - \alpha \chi_{it}) L_{it}$$

- Productivity falls by a factor  $\alpha$  among the share of labor under notice period,  $\chi_t$ .

- Over time:

$$\Delta \log(Y_i) = \Delta \log A_i + \log(1 - \alpha \chi_{it})$$

- We estimate this as follows:

$$\Delta \log(Y_i) = \beta \chi_i + d_t + \delta_j + f(s_i) + g(m_i) + hX_i + \varepsilon_i$$

- where  $s_{it}$  = share laid-off workers;  $d$  time-FE;  $\delta$  ind. FE;  $f$  and  $g$  are flexible functions of size of layoff and overall notice time.

$$\hat{\alpha} = (1 - \exp(\hat{\beta} \hat{\chi})) / \hat{\chi}.$$

## Costs of MN: **Lower Productivity**

- We use **balance sheet data** combined with information on layoffs and labor inputs to estimate the  $\alpha$ 's.
- Three versions of  $\chi$ :
  1. Actual advance notice periods.
  2. Legislated mandated notice periods.
  3. MN for those workers who would have been laidoff under the tenure-ranking rule.

# MN Effect on Productivity

Table 7: The Productivity Loss of Notice

	Dependent variable			
	$\Delta \ln y$		$\ln y - \sum_{t=-3}^{-1} \ln y_t / 3$	
	OLS (1)	IV (2)	OLS (3)	IV (4)
Share of workers on notice ( $\chi$ )	-0.275** (0.111)	-0.469*** (0.161)	-0.290** (0.118)	-0.465*** (0.162)
Estimate of productivity loss ( $\alpha$ )	0.272** (0.110)	0.461** (0.158)	0.287** (0.116)	0.458*** (0.160)
<u>First stage</u>				
First-stage F		221.7		221.7
<u>Specification check (outcomes in <math>t - 1</math>)</u>				
Share of workers on notice ( $\chi$ )	0.078 (0.088)	0.062 (0.121)	0.021 (0.060)	0.003 (0.081)
<u>Specification check (outcomes in <math>t - 2</math>)</u>				
Share of workers on notice ( $\chi$ )	-0.033 (0.100)	-0.169 (0.135)	-0.055 (0.048)	-0.048 (0.065)
Number of observations	3,218	3,218	3,218	3,218

- $\alpha_{post} \in [0.27, 0.46]$ .



# Summary

- Gains from MN > Losses.
- Some MN optimal.
- Other lessons:
  1. MN >> Severance Pay
  2. Firms and workers sidestep inefficient legislation.
  3. Job-search more effective from employment than from unemployment.
    - Why?
      - i. Connections from colleagues.
      - ii. Discrimination
      - iii. Induced to think about next job while working.